

Following a packed list of all smallest prime nonuplets up to 80 digits.

Exponent n and offset $a(n_a)$, $10 + a + d$ are nine primes. Pattern d : $d=0,4,6,10,16,18,24,28,30$

00_000000000000000012	05_000000000000013143	08_00000000526927443	09_00000001335215973
10_00000000998082213	11_000000003050287293	12_000000004467947163	13_000000023181063783
14_000000016493659893	15_000000000114226203	16_000000040048734273	17_000000041659160673
18_000000060979099413	19_000000150070562403	20_000001526836769973	21_000002045473229943
22_000002647607531193	23_000002332514056233	24_000002934648447963	25_000012148441813203
26_000000748921059663	27_000004198893472623	28_000014964743373543	29_000018457947875343
30_000022871060098773	31_000068514338392443	32_000180135230239983	33_000073617819999573
34_000093924026059953	35_00008331429424833	36_000136216406185473	37_000029871811331613
38_000128004431637663	39_000189164642750163	40_001153140766579083	41_000230848771310193
42_000393544278072573	43_001307640469250643	44_001571950813548003	45_000216227022154143
46_001337877127411683	47_004624615839542493	48_001305283977441123	49_003526198250883003
50_002120345200047603	51_005514778676362893	52_009608743709416413	53_002665769709239673
54_000910226725158483	55_011561894073545343	56_000434568746265633	57_011025371506821483
58_023275822121025483	59_024165976744068993	60_000986718673956093	61_012090590142360453
62_017963072955755673	63_091658296979455083	64_107092103945219433	65_005749278263414673
66_029312511139082403	67_013924825218694113	68_011657336181635673	69_133362849389750253
70_025627160158515813	71_113971287965745543	72_066999879577740723	73_039331270495843203
74_287619383224587393	75_447368163289830783	76_049487228466438453	77_005464208816494233
78_175879741734469323	79_252454825542165123		

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04_000000000000078789	05_000000000000755709	07_00000000064266249	08_00000000864669609
09_00000000422475909	10_000000006394542249	11_000000008039383509	12_000000002263588299
13_000000010106550879	14_000000196744345209	15_000000171603577119	16_000000367141480689
17_000000156299690319	18_000000844390957389	19_000002754707169639	20_000001228773049839
21_000007253672579589	22_000006456654340119	23_000006830720143509	24_000006976668980799
25_000000396387300279	26_000023632599655419	27_000060643598881539	28_000029010853608909
29_000004154056233099	30_000046889543073429	31_000004409740409499	32_000073327560528249
33_000227170963148649	34_000396160452668229	35_000064851868958649	36_000029065526487669
37_000158985289373139	38_000295151249787729	39_000882977245706229	40_000325778897122389
41_002030634537198039	42_000160451944571079	43_005503821201214299	44_000259596943656189
45_001965862311207699	46_001615949515388919	47_006228503806519179	48_000449425311918639
49_001731699431041809	50_006784062884875149	51_002857175082861339	52_000881572344252849
53_000565401086224929	54_020159113243329039	55_003598090607512749	56_006464870489107449
57_000187866753222129	58_004946332563856779	59_021345699900951429	60_000799378188615909
61_036724293397936569	62_000752511049190319	63_098927519686444689	64_022247863271360409
65_038005920735283959	66_108055106144204919	67_060820457173677549	68_160338184092086139
69_002125709156175579	70_201296679966749889	71_078514979436230109	72_070309985628097299
73_128208726576846879	74_183783659848776399	75_336264926305946619	76_367970047689436329
77_091105656478929249	78_164604387512813409	79_188652899427973209	

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Exponent n and offset a (n_a), $10 + a + d$ are nine primes. Pattern d : $d=0,2,6,8,12,18,20,26,30$

00_000000000000000010	08_00000000082403491	09_00000000042090781	10_00000001076719651
11_00000001698684931	12_000000020262482971	13_000000026294974231	14_000000071483461681
15_000000079773889081	16_000000060088794661	17_000001018464878521	18_000000446527079911
19_000001132866238561	20_000002755871853751	21_000000261317164561	22_000001639198614361
23_000002069014296901	24_000004522792834171	25_000000758005606261	26_000029592156813571
27_000004489094504431	28_000000149283107281	29_000014914650424771	30_000053024005351201
31_0000091633611384421	32_000037933522746751	33_000002245422938491	34_000296573570795971
35_000088856034345091	36_000652411163378971	37_000512786434894021	38_000011138179417801
39_001225030144620091	40_000137013904691671	41_000549936960847441	42_000466670611020421
43_000952923311625391	44_000052276144601851	45_000197224043233831	46_001086455834678221
47_001896422948143891	48_000575366833127971	49_000500925570224521	50_018055161739429831
51_007464510314865721	52_006774910628276791	53_018302819026776451	54_008563311308013451
55_015962004737388151	56_014545105428105961	57_017105347064482591	58_013429185228314401
59_034537645074778831	60_136318524607288831	61_002188243318924951	62_020436025485974611
63_155904264553005421	64_093494256831594241	65_266939231775341341	66_019416159466095661
67_080812848175859521	68_193212929530364641	69_238786075528107721	70_171571831513543741
71_106504446229950481	72_227604427263339661	73_146738921986518121	74_039149997678561121
75_124214719917482311	76_159399595823243671	77_177586351004256361	78_887924536199599741
79_006120840350368801			

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00_000000000000000016	03_000000000000000277	05_00000000000013147	08_00000000152277007
09_000000000116452627	10_000000001878692167	11_000000003798521707	12_000000002263588297
13_000000024569393257	14_000000004143260377	15_000000088707632227	16_000000504480905767
17_000000124773145477	18_000000433302885997	19_000000416089831087	20_000001611254165977
21_000001050734939377	22_000001903705736977	23_000002872605534727	24_000004100170677157
25_000001456406292607	26_000013160729766517	27_000002297700910477	28_000001226786877217
29_0000031275549714337	30_000052070112642487	31_000036543794341477	32_000018329153421307
33_000021391703967757	34_000081757229262547	35_000043945399372057	36_000068855598638167
37_000146737664427427	38_000322783038069517	39_000085305656379157	40_000102474511920157
41_000171915810461617	42_000684047333697607	43_000193368620143387	44_000465632389077727
45_000906980563912507	46_004187412525274687	47_000140426301745567	48_001229255129248267
49_005212838536064887	50_004496514973381687	51_001441016672082817	52_010367064580892767
53_001363846694261707	54_003740441195603467	55_008427975203606647	56_002085931028056117
57_013078779551324197	58_042898746453431077	59_013982833813936027	60_006500742416228797
61_009122270044627747	62_004873092553043047	63_024092605839743707	64_055553876510732347
65_022259268044088517	66_033259942700980207	67_023439372504561037	68_055695658602176527
69_029218688948555617	70_011813750881177237	71_049900690078334047	72_064710909220445647
73_059189006050462477	74_079602896195026957	75_096412515488750017	76_238937303432545237
77_060313256082160537	78_189325478772622747	79_798375645923055427	